WASHINGTON

Variability of wet troposphere delays over inland reservoirs as simulated by high-resolution WRF Elizabeth A. Clark and Dennis P. Lettenmaier Department of Civil & Environmental Engineering, University of Washington, Seattle, WA 98195 Department of Geography, University of California, Los Angeles, CA 90095

H33F-0902

MOTIVATION

The presence of water vapor in the atmosphere delays the return of radar waves in e.g. the sensing of water surface topography via satellite altimeters. Over land this typically is corrected using atmospheric conditions taken from relatively coarse spatial resolution weather forecasting models.

The questions we address here are:

- How does the wet troposphere delay (WTD) vary over inland water bodies?
- Does this differ from over neighboring land?
- What are the implications of WTD for satellite-based measurements of storage change?



METHODS

- ① Simulate atmospheric conditions using that ARW version of the Weather Research and Forecasting (WRF) model in Pacific Northwest (PNW) at 4-km resolution (UW PNW forecast archive, Fig. 2a) and southwestern U.S. (SW) at 2.33-km resolution (this study; Fig. 2b).
- 2 Compute WTD from WRF simulations (Box 1).
- 3 Composite mean WTD over land in WRF and over water in WRF within 0.75.° box surrounding each reservoir.
- (4) Corrupt observed "True" water levels with WTD errors.
- (5) Calculate storage based on WTD-corrupted water levels (Box 2).
- 6 Compare WTD-corrupted storage relative to minimum observed "true" storage in study period.

Table 1. Reservoir properties.						
45°N	Reservoir	Divor	Lake area, km ² (volume, km ³)	Annual P,	Main	% of 0.75° defir
↓Upper Klamath Lake	Lake Elwell	Marias River	70 (1.8)	410 mm, 5°C	irrig.	as w
40 N 125°W 120°W 11 (b)	Upper Klamath Lake	Klamath River	340 (0.7)	700 mm, 6°C	elec.	6.4
35°N	Pend Oreille Lake	Pend Oreille River	380 (1.4)	840 mm, 3°C	elec.	9.
Sam Rayburn	Elephant Butte	Rio Grande	150 (2.9)	390 mm, 8°C	flood control	2.
30°N 110°W 105°W 100°W 95°W	Ray Hubbard	EF Trinity River	100 (0.7)	1000 mm, 18°C	flood control	5.0
Fig. 2. WRF terrain map	Sam	Angelina		1210 mm,		
showing location of reservoirs.	Rayburn	River	460 (7.8)	19°C	supply	8.

REFERENCES Doin, M.-P., et al., 2009, J. Appl. Geophys., 69, 35-50. Lehner, B., et al., 2011. Global Reservoir and Dam Database, Version 1 (GRanDv1). doi:10.7927/ H4HH6H08.

www.usbr.gov/uc/.

Post-conference addendum: The WRF simulations for SW used nearby SST as lake temperature. Because this temperature is much colder than the lakes and surrounding air in this region, 2-m water vapor is lower over water bodies than surrounding land in this region. The authors are re-running these simulations with more realistic lake temperatures.



As expected, the spatial pattern of WTD follows that of integrated water vapor at all sites. The same is

- true for the
- standard
- deviation.

The standard deviation of WTD is higher where mean WTD is high for all sites but Ray Hubbard (shown) and

- Upper Klamath
- Lake.

Ray Hubbard has lowest WTD has biggest effect

decreases annual signal at Oreille, but by less than

Fig. 7. "True" and WTDcorrupted storage relative to lowest observed storage and errors in storage due to WTD

WTD-corrupted — Error due to WTD

CONCLUSIONS

- Water bodies impact water vapor near the surface, but the effects decrease with altitude.
- WTD tends to be slightly higher over water than over land in WRF at these sites (less than 10% at most times).
- WTD errors lead to lower storage estimates at all reservoirs by ~0.01-0.1 km³, depending on the shape of the reservoir's hypsometric profile.
- WTD-corrupted storage still tracks the annual variations in reservoir storage at all sites.

Box 1: Wet troposphere delays

We compute zenith wet delay (WTD, m) from WRF output following Doin et al. (2009):

$$WTD = 10^{-6} \int_{z_0}^{\infty} \left[\left(k_2 - \frac{R_d}{R_v} k_1 \right) \frac{e}{T} + k_3 \frac{e}{T^2} \right] dz$$

where

- R_{v} = specific gas constant for water vapor, 461.495 J/kg/K
- R_d = specific gas constant for dry air, 287.05 J/kg/K
- $k_2 = 0.716$ K/Pa; $k_3 = 3.75 \times 10^3$ K²/Pa
- z_0 = surface elevation, m; z = geometric elevation, m
- e = water vapor pressure, Pa; T = temperature, K

Box 2: Storage from elevation

- Hypsometric curves constructed from all available "true" observations during study period.
- WTD-corrupted storage extracted from "True" hypsometric curve based on WTDcorrupted water elevation.



Fig. 8. Example of hypsometric curve.

Further Information

Contact Elizabeth Clark at lizaclark@ucla.edu. This work is described in more detail in Clark, E.A., D.P. Lettenmaier, 2014, Spatial variability of wet troposphere delays over inland water bodies (in prep).